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# Design of an Optimally Self-Protected Medium Frequency Power Supply for Induction Heating Purposes <br> Abdul Kareem M. Obais 

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#### Abstract

In this paper, the basic elements of the induction heating process are reviewed. The expected risks accompanying the power supplies when they are operated with induction-inductors are stated and a remedial solution is presented. The solution is a complete design of a power supply that operates without any restriction among a variety of widely extending ratings of induction-inductors. This supply is identified with an accurate load current limitation technique and is self-protected against real short circuits and extremely excessive loads. Its frequency can be smoothly varied from 500 Hz to 10 KHz . It is easily possible to control load power continuously while induction heating process is proceeding.


## الخلاصة


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## 1. Introduction

Induction heating systems are based mainly on electromagnetic induction. Placing a conducting material in a varying magnetic field will cause eddy currents to flow inside the material. The generated eddy currents in turn will heat the material. The induction-inductor [Davies and Simpson 1979, Rev 2000] is one of basic means used to invest the heat produced by eddy currents phenomenon. The inductioninductor is simply a solenoid within which the material to be heated is placed. The AC power supplies are the main feeders of the induction-inductors. Single-phase inverters are generally representing the most of these supplies [Skvarenina 2001, Rashid 2001]. They are either voltage-source type or current-source type. The solid-state switching devices are the basic building blocks of inverters [Hinchliffe and Hobson 1986]. Thyristors, power MOSFETs, power transistors, and insulated-gate transistors (IGBT's) are the widely used solid-state switching devices in designing power supplies for induction heating purposes. The full-bridge voltage-source inverter [Skvarenina 2001 and Rashid 2001] is widely used as an induction heating power supply. Also single switch AC-AC converters [Shenkman et al 2004], the series resonant converters [Koertzen et al 2001], and LC resonant oscillators are used for induction-heating purposes. Power supplies are designed to operate at certain frequencies and certain volt-ampere ratings. Assuming a constant operating DC voltage $\mathrm{V}_{\mathrm{DC}}$, each supply has a specified frequency band and a maximum current rating. Obviously, the nature of load impedance determines the magnitude and shape of the load current. Currents exceeding maximum limits are certainly representing risks to power supplies, and definitely, the solid state-switching devices are the most probable to be damaged first [Jain and Diwan 1988, Koller and Tevan 1999]. Hence,

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an accurate selection of the load impedance plays an important role in the protection process beside the external protection circuitry [John et al 1999].

The optimally self-protected power supply is different from conventional power supplies since it automatically detects any excessive load and soon prepares the required control signals such that the maximum current rating is not exceeded. It is provided with an accurate load current limiting circuit and a reliable protection circuit against excessive loads and real short circuits. It is preferred to present a summarized background about the induction-inductor and the conventional voltage-source full bride single-phase inverter in order to state the insisting need to the optimally selfprotected

## 2. The induction-inductor concept

The induction inductor is an important element in induction heating process. It may be a single turn of a copper wire or a multi-turn coil wound in such a way that it can serve a certain function [David 2001]. Generally, in many industrial applications, the induction inductor is a solenoid surrounding the conducting material to be heated. It is considered as loosely coupled transformer [Koller and Tevan 1999], where the coil itself represents the primary side of the transformer, and the work piece (the material to be heated) represents the secondary side. Fig.1.a shows a longitudinal section of a certain AC current carrying inductor, and inside it, a work piece is inserted. It is clearly understood that the coil is not tightly surrounding the work piece or in other words, there is an air gap separating between the coil and the work piece.


Fig.1. (a) A longitudinal-section of an induction-inductor, (b) its equivalent circuit.

The circuit parameters are given by
$L_{c}=\frac{\delta_{c} \mu_{o} K_{c} N^{2} \pi D}{2 l}$
$R_{c}=\frac{\delta_{c} \mu_{o} K_{c} N^{2} \omega \pi D}{2 l}$

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$$
\begin{align*}
& L_{g}=\frac{\mu_{o} N^{2} \omega \pi\left(D^{2} \_d^{2}\right)}{4 l}  \tag{2.3}\\
& L_{w}=\frac{\delta_{w} \mu_{o} \mu_{r} N^{2} \pi d}{2 l} \ldots \ldots .  \tag{2.4}\\
& R_{w}=\frac{\delta_{w} \mu_{o} \mu_{r} N^{2} \omega \pi d}{2 l} \ldots . \tag{2.5}
\end{align*}
$$

Where, Rc : coil resistance (primary side resistance of the assumed transformer).
$\mathrm{L}_{\mathrm{c}}$ : coil inductance (primary side inductance of the assumed transformer)
$\mathrm{L}_{\mathrm{g}}$ : air gap inductance
$\mathrm{K}_{\mathrm{c}}$ : coil constant which is normally of the range 1.1 to 2 depending upon the shape and spacing of the coil conductors.
N : coil number of turns.
$\delta:$ skin depth and is given by $\delta=\sqrt{2 \rho / \mu \omega}$
$\rho$ : resistivity of the material.
$\delta_{c}$ : copper skin depth.
$\delta_{\mathrm{w}}$ : work piece skin depth.
$\mu_{\mathrm{o}}$ : absolute permeability.
$\mu_{\mathrm{r}}$ : the work piece relative permeability.
$\omega$ : angular frequency of the power supply.
$\mathrm{R}_{\mathrm{w}}$ : work piece resistance referred to primary side.
$\mathrm{L}_{\mathrm{w}}$ : work piece inductance referred to primary side.
The total impedance of the inductor is given by
$Z_{t o t}=\sqrt{\left(\omega L_{t o t}\right)^{2}+\left(R_{t o t}\right)^{2}}$.
, and $L_{\text {tot }}=L_{c}+L_{g}+L_{w}$ Where, $R_{\text {tot }}=R_{c}+R_{w}$
It is clear that $\mathrm{Z}_{\text {tot }}$ is a function of two temperature dependent parameters $\rho$ and $\mu_{\mathrm{r}}$. Where $\rho$ increases with temperature and this fact is generally valid for metals like mild steel, which resisitivity varies from $0.2 \mu \Omega \mathrm{~m}$ to $1.1 \Omega \mathrm{~m}$ for a temperature change of $20^{\circ} \mathrm{C}$ to $800^{\circ} \mathrm{C}$ respectively. All Ferro-materials lose their magnetic properties above Curie point $\left(\sim 720^{\circ} \mathrm{C}\right)$. This means that $\mu_{\mathrm{r}}$ for these materials tend to one when temperature exceeds Curie point. The inductor itself is made of copper and is carefully cooled; hence, $\rho_{\mathrm{c}} \& \delta_{\mathrm{c}}$ remain almost constant. Consequently, the important temperature dependent parameters in $\mathrm{Z}_{\text {tot }}$ are $\mathrm{R}_{\mathrm{w}}$ and $\mathrm{L}_{\mathrm{w}}$. When Ferro-materials are heated, these two parameters decreases largely as temperature rises above Curie point. For example, consider a mild steel work piece heated from $20^{\circ} \mathrm{C}$ to $800^{\circ} \mathrm{C}$. For this temperature change, $\mu_{\mathrm{r}}$ varies from 50 to one, and the corresponding steel skin depth varies from 4.5 mm to 74.7 mm . Consequently $\mathrm{L}_{\mathrm{s}}$ and $\mathrm{R}_{\mathrm{s}}$ values at $800^{\circ} \mathrm{C}$ decreases to $1 / 3$ their corresponding values at $20^{\circ} \mathrm{C}$. In fact an associative reduction in $\mathrm{Z}_{\text {tot }}$ will occur. Note that the steel is saturated at a magnetic flux density of 2 Tesla and a starting value of 50 given to $\mu_{\mathrm{r}}$ is satisfactory in induction heating. It is reasonably to start the induction heating process with a certain $\mathrm{Z}_{\mathrm{tot}}$ for a cold work piece and end with $1 / 2 \quad \mathrm{Z}_{\text {tot }}$ when the material is heated above Curie point.

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## 3. The full-bridge single-phase inverter

Fig.2.a shows a full-bridge single-phase inverter. It consists of four solid-state switches $S_{1}, S_{2}, S_{3}$, and $S_{4}$. If the load of this inverter is an induction-inductor, then the load current waveform is determined by $\mathrm{Z}_{\text {tot }}$ parameters, $\mathrm{V}_{\mathrm{DC}}$, and the operating frequency $f$. The peak value of the load current $I_{m}$ is given by $I_{m}=\frac{V_{D C}}{R_{\text {tot }}}\left[1_{-} \exp \left(-\frac{0.5 T_{-} t_{D}}{\tau}\right)\right] \ldots .$. (3.1)

Where, T : load current repetition time in seconds $=1 / \mathrm{f}$
$\tau$ : load impedance time constant $=\mathrm{L}_{\text {tot }} / \mathrm{R}_{\text {tot }}$
$t_{D}$ : the conduction time of feedback diodes $D_{1}, D_{2}$ or $D_{3}, D_{4}$ and is given by
$t_{D}={ }_{-} \tau \ln \left(\frac{1+\exp \left(\_0.5 T / \tau\right)}{2}\right)$.
$D_{1}, D_{2}$ or $D_{3}, D_{4}$ are called feedback diodes because they feedback energy to the DC source when none of the switching devices is conducting. Note that, the switches $S_{1}$, $S_{2}$ or $S_{3}, S_{4}$ conduct for the time interval ( $T / 2 \_t_{D}$ ). The positive portion of load current starts at the instant when $S_{1}$ and $S_{2}$ conduct simultaneously. This portion grows increasingly until $S_{1}$ and $S_{2}$ are turned off. Meanwhile, the diodes $D_{3}$ and $D_{4}$ start conduction feeding back energy to the DC source and the load current in this instance continues to flow decreasingly through $\mathrm{D}_{3}, \mathrm{~V}_{\mathrm{DC}}$, and $\mathrm{D}_{4}$. As the current decays to zero, $D_{3}$ and $D_{4}$ are no longer conducting and $S_{3}$, and $S_{4}$ conduct starting the negative portion of load current. A similar process will repeat for this portion except that the feedback diodes in this case are $D_{1}$ and $D_{2}$. When a series capacitor $C_{S}$ is connected with $\mathrm{Z}_{\text {tot }}$, then the peak current $\mathrm{I}_{\mathrm{m}}{ }^{\prime}$ is given by [Rashid 2001]

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\begin{equation*}
I_{m}{ }^{\prime}=\sqrt{\sum_{n=1,3,5, \ldots}^{\infty} I_{n}{ }^{2}}=\sqrt{\sum_{n=1,3,5, \ldots}^{\infty} \frac{V_{n}{ }^{2}}{Z_{n}{ }^{2}}}=\sqrt{\sum_{n=1,3, \ldots}^{\infty} \frac{\left(4 V_{D C} / n \pi\right)^{2}}{R_{t o t}{ }^{2}+\left(n \omega L_{t o t}-1 / n \omega C_{s}\right)^{2}}} \ldots \ldots \ldots \ldots . \tag{3.3}
\end{equation*}
$$

Where $I_{n}$ represents the nth harmonic of the load current, $V_{n}$ is nth harmonic of the load voltage $\mathrm{V}_{\mathrm{AB}}$ and $\mathrm{Z}_{\mathrm{n}}$ is the impedance to $\mathrm{V}_{\mathrm{n}}$. Fig.2.b shows the voltage and current waveforms of this supply. If $\omega \mathrm{L}_{\mathrm{tot}}=1 / \omega \mathrm{C}_{\mathrm{S}}$, then the fundamental component of the load current $I_{1}$ is $4 V_{D C} / \pi R_{\text {tot }}$. This current will be very risky when $R_{\text {tot }}$ decays to smaller values due to temperature growth in side the work piece as the induction heating process is progressing. It can be easily deduced that using such kinds of inverters for induction heating purposes mean that the load currents of these inverters may be started with lower values and finally approach their maximum ratings at the end of induction heating process.

## 2


(a)


(b)

Fig.2. (a) The full-bridge single-phase inverter, (b) its voltage and current waveforms.

## 4. The optimally self-protected power supply schematic design

The above brief background of the induction-inductor and the full-bridge inverter indicates the insisting need to the optimally self-protected power supply. Fig. 3 shows the block diagram of this supply. Obviously, it is a full-bridge singlephase inverter when the power circuit is considered only, but its electronic circuitry means a new approach in controlling and protection techniques. The solid-state switching devices used here are the insulated-gate bipolar transistors (IGBT's). They are snubberless devices and their turning on and turning off are normally achieved through appropriate triggering signals applied directly to their gates.


Fig .3. The optimally self-protected power supply block diagram.

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The switching devices triggering signals are shown in Fig.4. These signals are totally governed by the load current limiting circuit and the protection circuit. The time $t_{1}$ is determined according to turn-on and turn-off times of the switching devices used in designing process in order to avoid the probability of short circuits through $S_{1}, S_{4}$ or $S_{3}, S_{2}$. In addition, $t_{1}$ is recommended to be sufficient for charging a bootstrapped capacitor from zero to +15 V . Note that two bootstrapped capacitors are used in the driving circuit to prepare the required bias voltages for driving $S_{1}$ and $S_{3}$. The time $t_{2}$ is variable and is only determined by the limiting circuit. Its value is zero during normal load operation. Normal loads mean those loads, which are operated safely by a similar rating conventional full-bridge single-phase inverter. As it is shown above, $\mathrm{t}_{2}$ has a maximum value of $\left(0.5 \mathrm{~T}_{-} 2 \mathrm{t}_{1}\right)$. This range of $\mathrm{t}_{2}$ permits an extending range of excessive loads to be treated here safely. The load current estimation circuit is designed such that the saturation collector-to-emitter voltage ( $\mathrm{V}_{\text {CEsat }}$ ) of $\mathrm{S}_{2}$ or $\mathrm{S}_{4}$ is directly detected by sampling a small fraction of $\mathrm{V}_{\mathrm{A}}$ when $\mathrm{S}_{2}$ is triggered on or $V_{B}$ when $S_{4}$ is triggered on. Of coarse $V_{\text {CEsat2 }}$ and $V_{\text {CEsat4 }}$ are directly proportional to the currents flowing through $\mathrm{S}_{2}$ and $\mathrm{S}_{4}$ respectively. $\mathrm{V}_{\text {CEsat2 }}$ corresponds to the positive half-cycle of the load current whereas $\mathrm{V}_{\text {CEsat4 }}$ corresponds to the negative half-cycle. $\mathrm{V}_{\text {CEsat2 }}$ and $\mathrm{V}_{\text {CEsat4 }}$ are coupled and amplified to form what is known as $\mathrm{V}_{\text {est. }}$. The analogue voltage $\mathrm{V}_{\text {est }}$ is fed to the load current limiting circuit and compared with an adjustable DC voltage there. If $\mathrm{V}_{\text {est }}$ is less than it then, no action is taken by the load current limiting circuit and the triggering signals waveforms will be as shown in Fig. 4 except that $t_{2}=0$. When $V_{\text {est }}$ grows slightly above that DC voltage then, the limiting circuit sends two signals controlling the pulse-width of the positive portions of $\mathrm{V}_{\mathrm{S} 1}$ and $\mathrm{V}_{\mathrm{S} 2}$. Again the triggering signals will be as shown in Fig.4, but in this case, $\mathrm{t}_{2} \neq 0$ and is determined by the amount by which the load


Fig.4. The triggering signals of the optimally self-protected power supply. current is excessive.

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The protection circuit is designed such that when a short circuit exists or an extremely excessive load is applied, then it immediately responds and generates four controlling signals to disable the triggering signals of the switching devices. The waveforms generation circuit produces a triangular waveform of amplitude of about 3 V . Its frequency can be smoothly varied from 500 Hz to 10 KHz . This frequency range lies within the medium frequency band of the induction heating frequency spectrum [Davies and Simpson 1979]. It is the most useful frequency range to heat or melt all types of steel [Rev 2000]. Another necessary waveform produced in this circuit is the rectangular waveform, which is obtained from the triangular waveform shown in Fig.5. The time $t_{3}$ is recommended to be within the range of $\left(t_{1} \leq t_{3} \geq 2 t_{1}\right)$ in order to guarantee optimal operation of the load current limitation circuit.


Fig.5. The triangular and rectangular waveforms.
The triangular and rectangular waveforms constitute the timing system of this supply.
The switching devices triggering circuit produces the triggering signals shown in Fig.4. It involves four comparators governed by four controlling signals coming from limiting and protection circuits. The driving circuit of the switching devices is designed such that at the maximum current rating specified for the power supply, the total switching energy losses of the switching devices will be within or less than typical values. The power circuit includes four IGBT's, four fast recovery free-wheel diodes, and a constant DC source, which is obtained from a three-phase full-bridge rectifier.

## 5. The power supply circuits design

The datasheets of components are carefully considered in the designing process. Fig. 6 shows the complete circuit diagram of the optimally self-protected power supply. The system circuit diagram is exactly representing the schematic design discussed above except that; the general descriptions are transformed to actual circuits. These circuits are designed using components, which have fast speeds; hence, the supply response within its specified frequency band is reliable. The designed power supply has been built using PSpice. The results obtained from its operation among a variety of widely extending ratings of induction-inductors are interesting. For better understanding to system performance, it is preferred to study the circuits forming

Fig. 6
individually.





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### 5.1. The power circuit

The power circuit includes four IGBT modules. They are of the type CM1000HA-24H. Each module consists of one IGBT in a single configuration with a reverse-connected super-fast recovery free-wheel diode as shown in Fig.7a. Each configuration has the following maximum rating at $25 \mathrm{C}^{\circ}$ : $\mathrm{V}_{\mathrm{CE}}=1200 \mathrm{~V}$, $\mathrm{I}_{\mathrm{C}}$ (continuous) $=1000 \mathrm{~A}, \quad \mathrm{I}_{\mathrm{C}}$ (pulsating) $=2000 \mathrm{~A}, \quad \mathrm{~V}_{\mathrm{GE}}= \pm 20 \mathrm{~V}$, Collector dissipation, $\mathrm{PC}=5800 \mathrm{~W}, \mathrm{I}_{\mathrm{E}}$ (continuous) $=1000 \mathrm{~A}, \quad \mathrm{I}_{\mathrm{E}}$ (pulsating) $=2000 \mathrm{~A}$. Its junction temperature range is $\_40 \mathrm{C}^{\circ}$ to $150 \mathrm{C}^{\circ}$. A 500 V DC voltage source is used and the stray inductance is considered here by adding a reasonable stray inductance of a value of 100 nH in series with $\mathrm{V}_{\mathrm{DC}}$. Of course, the load of the supply is an induction-inductor. Since, the power factor of $\mathrm{Z}_{\mathrm{tot}}$ is often poor, a series capacitor $\mathrm{C}_{\mathrm{s}}$ may be preferred to be used here. The shunting capacitors $\mathrm{C}_{1}, \mathrm{C}_{2}, \mathrm{C}_{3}$, and $\mathrm{C}_{4}$ are used for protecting the power switching
devices against excessive
$\mathrm{dv} / \mathrm{dt}$.


Fig. 7 (a) The IGBT module, (b) the power circuit.

### 5.2. The IGBT driving circuit

$S_{1}$ and $S_{2}$ driving circuits are identical and including the two bootstrapped capacitors $\mathrm{C}_{6}$ and $\mathrm{C}_{7}$ shown in Fig.8. When $\mathrm{S}_{4}$ is triggered on, $\mathrm{C}_{6}$ charges to +15 V through $D_{15}$ and $S_{4}$. The time $t_{1}$ must be sufficient to charge $C_{6}$ from zero to +15 V .


Fig.8.The IGBT driving circuit (namely $\mathbf{S}_{\mathbf{1}}$ driving circuit).

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Turn-on and turn-off times of the IGBT are counted for by choosing the appropriate circuit parameters. $S_{2}$ and $S_{4}$ driving circuits are a bit different from that of $S_{1}$ and $S_{3}$. The values of $\mathrm{R}_{\text {OFF }}$ and $\mathrm{R}_{\mathrm{ON}}$ are set such that the switching energy losses, $\mathrm{dv} / \mathrm{dt}$, and di/dt are as low as possible.

### 5.3. The waveforms generation circuit

This circuit produces a triangular waveform $\mathrm{V}_{\text {tri }}$ of a frequency, which can be varied directly by using the variable capacitor $\mathrm{C}_{5}$ shown in Fig.9. The frequency of this waveform is given by [Millman and Halkias 1983] $f=\frac{R_{3}}{4 R_{2} R_{4} C_{5}}$


Fig.9. The waveforms generation circuit.
The above waveform is fed to the full-wave precision rectifier $U_{3}$ and then compared with the DC voltage appears across the resistor $\mathrm{R}_{10}$. Consequently, the rectangular waveform $\mathrm{V}_{\text {rect }}$ will be obtained. These waveforms are used later in the controlling process of the power supply.

### 5.4. The load current estimation circuit

The instantaneous voltages $\mathrm{V}_{\mathrm{A}}$ and $\mathrm{V}_{\mathrm{B}}$ across the load terminals are stepped down and then sampled at the intervals where $S_{2}$ and $S_{4}$ are triggered on respectively. The outputs of the samplers $U_{5 A}$ and $U_{5 B}$ are summed through the amplifier $U_{6 A}$ and then amplified by the amplifier $U_{6 B}$. Really, the output of $U_{6 B}$ represents the exact saturated voltages $\mathrm{V}_{\text {CEsat2 }}$ and $\mathrm{V}_{\text {CEsat4 }}$ instantaneously. This voltage is called $\mathrm{V}_{\text {est }}$. Fig.10.a shows this circuit and Fig.10.b shows $\mathrm{V}_{\text {est }}$ corresponding to a certain excessive load current. The outputs of the comparators U3B and U4B approximately coincide with the triggering signals $\mathrm{V}_{\mathrm{S} 2}$ and $\mathrm{V}_{\mathrm{S} 4}$ respectively. The only differences are those very small times left on both sides of the positive portions of $\mathrm{V}_{\mathrm{S} 2}$ and $\mathrm{V}_{\mathrm{S} 4}$ in order to offer the sufficient time for their corresponding devices to be turned on.


Fig.10. (a) The load current estimation circuit, (b) its output for a certain load test.

### 5.5. The load current limitation circuit:

Since the peaks of $\mathrm{V}_{\text {est }}$ correspond to the absolute peaks of the load current, it is possible to limit both positive and negative portions of the load current symmetrically. Fig.11.a shows the load current limitation circuit. The tests made for


Fig.11. (a) The load current estimation circuit, (b) its input and output voltages.

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The IGBT used in this power supply at the specified frequency band, allow a safe maximum peak of 1500 A to the load current at $25 \mathrm{C}^{0 .}$ For more safety, the parameters are chosen such that circuit the load current is limited at 1200A. Note that the $5 \mathrm{k} \Omega$ position of $\mathrm{R}_{\mathrm{Lmt}}$ corresponds to this value. The positive half-cycle of load current starts when $S_{1}$ and $S_{2}$ conduct simultaneously. In this interval, the load current grows increasingly. If $\mathrm{V}_{\text {est }}$ grows slightly greater than $\mathrm{V}_{\text {Lmt }}$ then, the output of the comparator U7A toggles to +4 V .Consequently, the fast thyristor T 1 is turned on. Because of this action, $\mathrm{V}_{\mathrm{C} 1}$ toggles to +4 V and successively $\mathrm{S}_{1}$ is turned off. At this instant, the load current continues to flow through $S_{2}$ and $D_{4}$ decreasingly until $S_{2}$ is turned-off. Here $S_{2}$ behaves as a free-wheel diode. Although at this instant $S_{4}$ is triggered on, the load current continues to flow through $\mathrm{D}_{3}, \mathrm{~V}_{\mathrm{DC}}$, and $\mathrm{D}_{4}$ until it decays to zero. As the diodes, D3 and D4 stop conduction, $\mathrm{S}_{3}$ and $\mathrm{S}_{4}$ conduct and the negative half-cycle of load current starts increasingly. When the negatively increasing portion of the load current negative half-cycle touches the specified peak, $\mathrm{V}_{\text {est }}$ again grows above $\mathrm{V}_{\text {Lmt }}$ and the corresponding action is that $S_{3}$ is turned off. The load current continues to flow through $\mathrm{S}_{4}$ and $\mathrm{D}_{2}$ and then through $\mathrm{D}_{1}, \mathrm{~V}_{\mathrm{DC}}$, and $\mathrm{D}_{2} . \mathrm{S}_{1}$ and $\mathrm{S}_{3}$ are turned off while they are carrying peak currents. Hence, their turn-off losses are higher than those of $S_{2}$ and $S_{4}$, which are turned off at somewhat lower currents.

### 5.6. The IGBT's triggering circuit:

This circuit includes four comparators as shown in Fig.12.a. The reference-

(a)


(b)

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Fig.12. (a) The IGBT's triggering circuit, (b) its response to $\mathrm{V}_{\mathrm{C} 1}$ and $\mathrm{V}_{\mathrm{C} 2}$. voltages $\mathrm{V}_{\mathrm{R} 1}, \mathrm{~V}_{\mathrm{R} 2}, \mathrm{~V}_{\mathrm{R} 3}$, and $\mathrm{V}_{\mathrm{R} 4}$ are governed by the controlling signals $\mathrm{V}_{\mathrm{C} 1}, \mathrm{~V}_{\mathrm{C} 2}, \mathrm{~V}_{\mathrm{C} 3}$, and $\mathrm{V}_{\mathrm{C} 4}$. If $\mathrm{D}_{1}, \mathrm{D}_{2}, \mathrm{D}_{3}$, and $\mathrm{D}_{4}$ are all off, then $\mathrm{V}_{\mathrm{R} 1}=\mathrm{V}_{\mathrm{R} 3}=0.757 \mathrm{~V}$ and $\mathrm{V}_{\mathrm{R} 2}=\mathrm{V}_{\mathrm{R} 4}=0$. In this case, the comparators outputs will be as shown in Fig.4, except that; $\mathrm{t}_{2}=0$. The controlling signal status is either +4 V or $\_4 \mathrm{~V} . \mathrm{V}_{\mathrm{C} 1}$ and $\mathrm{V}_{\mathrm{C} 3}$ are active when they are +4 V , while _ 4 V means that $\mathrm{V}_{\mathrm{C} 2}$ and $\mathrm{V}_{\mathrm{C} 4}$ are active. The activity of a controlling signal here means its ability to lead its corresponding diode to on condition. The effects of $\mathrm{V}_{\mathrm{C} 1}$ and $\mathrm{V}_{\mathrm{C} 2}$ on $\mathrm{V}_{\mathrm{S} 1}$ and $\mathrm{V}_{\mathrm{S} 3}$ are indicated in Fig.12.b. $\mathrm{V}_{\mathrm{S} 2}$ and $\mathrm{V}_{\mathrm{S} 4}$ are not affected by $\mathrm{V}_{\mathrm{C} 1}$ and $\mathrm{V}_{\mathrm{C} 2}$. Note that $\mathrm{V}_{\mathrm{C} 1}$ is effective only during the positive half-cycle of the triangular waveform $\mathrm{V}_{\text {tri }}$, while $\mathrm{V}_{\mathrm{C} 2}$ is effective during the negative half-cycle.

### 5.7. The protection circuit:

This is designed to reject short circuits and extremely excessive loads. It is set at a current level slightly greater than the maximum value specified for the load current limitation circuit. This circuit is shown in Fig.13. When the voltage $V_{\text {est }}$ grows slightly above $\mathrm{V}_{\mathrm{prt}}, \mathrm{V}_{\mathrm{p} 2}$ toggles to +4 V and the thyristor $\mathrm{T}_{2}$ is switched on. $\mathrm{V}_{\mathrm{C} 3}$ and $\mathrm{V}_{\mathrm{C} 4}$ will be +4 V and $\quad 4 \mathrm{~V}$ respectively. Consequently, the diodes $\mathrm{D}_{10}, \mathrm{D}_{11}, \mathrm{D}_{13}$, and $\mathrm{D}_{14}$ of Fig.12.a conduct and the outputs of their corresponding comparators become $\ldots 4 \mathrm{~V}$. Note that $\mathrm{T}_{2}$ cannot be switched off unless the +5 V DC voltage is switched off. In this case, the pilot lamp will light indicating that the inconvenience recovery implies supply shut down.


Fig.13. The power supply protection circuit.

## 6. Results and conclusions:

The supply was tested at $27^{\circ} \mathrm{C}$ on PSpice simulator within its specified frequency band and among a variety of loads. The extremely excessive load tests are shown in Fig.14. The first test shows an extremely excessive load operated at 500 Hz ,


Fig.14. The protection circuit rejection to extremely excessive loads.

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while the second test represents an extremely excessive load operated at 10 KHz . The power supply protection circuit rejects both loads. Note that the two tests lay on the frequency band extremes. These tests ascertain the successful performance of the power supply when it is operated with extremely excessive load within its frequency band. It is clear that the protection circuit response is fast enough that the fast varying load current is blocked at a current level slightly above 1200A which is the value of the peak current specified for the supply. In case of short-circuit the blocked current peak may exceed 1200A, and this is not dangerous at all since, the current in this case is a unique pulse as shown in Fig.15.


Fig.15. The priptection current response to real shorteírecuits.
Fig. 16 exhibits six load tests covering the power supply frequency band. (a), (c), and (e) correspond to three normal loads, while (b), (d), and (f) represent three excessive loads which their corresponding currents are limited at peaks of 1200A.


Fig.16. Load currents corresponding to six different load tests within the supply band.

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Series capacitors are often used when poor power factor loads are applied. Many tests were made concerning this matter. Fig. 17 exhibits two of those tests.


Fig.17. Power supply operation with RLC loads.
It is clear that the supply operates successfully when series capacitors are used. Note that the first cycles of load currents are somewhat distorted because the bootstrapped capacitors are not sufficiently charged. However, after this cycle the power supply operates properly as shown in Fig.17. The mechanism followed by the power supply offers the possibility of operating the supply with extremely excessive loads without using series capacitors. This is because the switches $S_{2}$ and $S_{4}$ are operating as free-wheel-diodes during the time $\mathrm{t}_{2}$ discussed in the power supply schematic design. During this time, the energy stored in the inductance $\mathrm{L}_{\text {tot }}$ is transformed partly or totally to real power in the load resistance $\mathrm{R}_{\text {tot }}$. Fig.18.a shows a test applied on a certain excessive load. The test shows that no energy is fedback to the DC source and all the energy stored in the inductance is transformed to heat through the load resistance. In this test, $S_{2}$ and $S_{4}$ are turned off while they are carrying zero current and hence their turn-off energy losses are negligible. The source current seems to be as a strip of narrow pulses. However, the load current is continuous. Turn-on losses are almost negligible for all switching devices and this is because these devices are turned on while they are carrying zero starting inductive currents. During excessive load operation mode, $S_{1}$ and $S_{3}$ are turned off at 1200A. The turn-off period for $S_{1}$ and $\mathrm{S}_{3}$ is shown in Fig.18.b.

(a)

(b)

Fig.18. (a) The no energy feedback load test, (b) the turn-off period of $S_{1}$ and $S_{3}$.

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